

Political Economy of Sovereign Debt: A Theory of Cycles of Populism and Austerity

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Motivation

- Populist policy cycles (Dornbusch and Edwards (1991), Sachs (1989))
 - Latin American economies in the 20th century
 - Typical dynamics:
 - Large redistributive programs, accumulation of foreign debt
 - Eventually country got into trouble
 - Repayment of foreign debt and reversal of redistributive policies
 - The cycle repeats
- Similar to recent experience in Southern Europe countries

What we do

- Explore debt dynamics in a textbook model of international borrowing
- Impatient social planner borrows internationally lack of commitment
- Introduce
 - Heterogeneous agents
 - Intergenerational conflict
- Show populist cycles emerge in best SPE

Why cycles emerge

- Incentives to default on international debt affected by inequality at home
 - High inequality \implies high incentives to re-optimize
- High debt \implies need to cut transfers
 - Increases inequality among the young
 - Increases tomorrow's inequality among the old
 - That higher inequality is sustainable only if tomorrow debt is low and government increases transfers to next period's young
- This gives rise to cycles
 - Periods of high transfers and debt accumulations followed by periods of sharp transfer cuts and debt repayments

Related Literature

- Optimal Fiscal Policy: Barro (1979), Lucas and Stokey(1983), Werning (2007), Bhandari, Evans, Golosov, and Sargent (2013)
- Optimal Fiscal Policy without Commitment:
 - Open economy: Amador, Aguiar and Gopinath(2009), Aguiar and Amador (2014)
 - Closed economy: Farhi, Sleet, Werning and Yeltekin (2012), D'Erasmus and Mendoza (2014), Scheuer and Wolitzky (2014), Lancia, Russo and Worrall (2023)
- Political economy of populism: Acemoglu, Egorov and Sonin (2014)

Outline

- Illustrate result with
 - Simple log-log economy with affine taxes
 - Policy chosen by benevolent government

- Generalization
 - Different preferences and tax instruments
 - Different model of politics

Environment

- Infinite horizon OLG economy
- Preferences of type i agent born in period t

$$\begin{aligned}U_{i,t} &= u(c_{it}) - v(y_{i,t}/\theta_i) + \beta u(x_{i,t+1}) \\ &= \log(c_{it}) + \log\left(1 - \frac{y_{it}}{\theta}\right) + \beta \log x_{i,t+1}\end{aligned}$$

- μ_i is fraction of agents with productivity θ_i , wlog $\sum_i \mu_i \theta_i = 1$
- Small open economy: Borrow at international rate R

Government's preferences

- Uses weights $\{\alpha_i\}_i$ to aggregate preferences within generation, $\hat{\beta}$ across generations

$$U_t = \sum_i \alpha_i \mu_i U_{i,t},$$

$$W_t = \frac{1}{\hat{\beta}} U_{o,t-1} + \sum_{k=0}^{\infty} \hat{\beta}^k U_{t+k}$$

- Impatient, $\hat{\beta}R < 1$

Affine taxes

- Instruments: linear taxes on labor income and savings, transfers to young and old
- Households can borrow and lend among themselves

$$U_{i,t} = \max \log c + \log \left(1 - \frac{y}{\theta_i} \right) + \log x$$

subject to

$$c + a \leq (1 - \tau_{l,t})y + T_{y,t}$$

$$x \leq (1 - \tau_{a,t+1})R_{t+1}^d a + T_{o,t+1}$$

- Interest rate R_{t+1}^d clears domestic borrowing and lending

Implementability conditions

- FOCs

$$\frac{x_{i,t+1}}{c_{i,t}} = \beta R_{t+1}^d (1 - \tau_{at+1}) \rightarrow c_{it} = \varphi_{it} C_t, \quad x_{it} = \varphi_{it} X_{t+1}$$

$$\frac{1}{c_{i,t}} (1 - \tau_{lt}) = \psi \frac{1}{\theta_i - y_{it}} \rightarrow \theta_i - y_{it} = \varphi_{it} (1 - Y_t)$$

- Plug into budget constraint to get

$$\varphi_i = 1 + \frac{1}{2 + \beta} \frac{\theta_i - 1}{1 - Y}$$

- Thus, $\{c_{i,t}, y_{i,t}, x_{i,t}\}_i$ must satisfy the implementability conditions:

$$c_i = \varphi_i C, \quad x_i = \varphi_i X$$

$$\theta_i - y_i = \varphi_i (1 - Y)$$

$$\varphi_i = 1 + \frac{1}{2 + \beta} \frac{\theta_i - 1}{1 - Y}$$

Lack of commitment

- Government can re-optimize in any period
 - Default on debt, choose new tax policies
 - Let \underline{W} be the value of that re-optimization
- Subgame perfect equilibrium imposes

$$\frac{1}{\hat{\beta}} U_{o,t-1} + \sum_{k=0}^{\infty} \hat{\beta}^k U_{t+k} \geq \underline{W}$$

- Two sources of time inconsistency:
 - Foreign: Don't want to repay debt
 - Domestic: Inequality among the old is undesirable; always desirable 100% tax on assets for the current old and redistribute via pension

Best SPE

$$\max_{\hat{\beta}} \frac{1}{\hat{\beta}} \sum_i \mu_i \alpha_i U_{o,-1}(x_{i,-1}) + \sum_{t \geq 0} \hat{\beta}^t \sum_i \mu_i \alpha_i U_t(c_{i,t}, y_{i,t}, x_{i,t})$$

subject to

- consolidated budget constraint

$$\sum_i \mu_i (c_{i,t} + x_{i,t-1}) + \frac{B_{t+1}}{R} = \sum_i \mu_i y_{i,t} + B_t$$

- implementability conditions
- sustainability constraint

$$\frac{1}{\hat{\beta}} U_{o,t-1} + \sum_{k=0}^{\infty} \hat{\beta}^k U_{t+k} \geq \underline{W}$$

Simplify the problem

Let $P(w_y, w_o)$ be tax revenue the government raises from a generation that gets welfare w_y when young and w_o when old

$$P(w_y, w_o) = \max Y - C - \frac{X}{R}$$

subject to

$$\sum_i \mu_i \alpha_i [\log c_i + \log (1 - y_i/\theta_i)] = w_y$$

$$\sum_i \mu_i \alpha_i \log x_i = w_o$$

$$c_i = \varphi_i C, \quad x_i = \varphi_i X$$

$$\theta_i - y_i = \varphi_i (1 - Y)$$

$$\varphi_i = 1 + \frac{1}{2 + \beta} \frac{\theta_i - 1}{1 - Y}$$

Critical property: $P_{12} > 0$

- If w_y is high then must provide high consumption and leisure to the young
- Thus, inequality (dispersion of consumption shares) is low

$$\varphi_i = 1 + \frac{1}{2 + \beta} \frac{\theta_i - 1}{1 - Y}$$

- Cheaper to provide more utility to the old because of low inequality
- Thus, $P_{12} > 0$

Recursive formulation

- Best SPE solves

$$B(V) = \max_{w_y, w_o, V'} P(w_y, w_o) + \frac{1}{R} B(V')$$

subject to

$$\begin{aligned}w_y + \beta w_o + \hat{\beta} V' &= V, \\ \frac{\beta}{\hat{\beta}} w_o + V' &\geq \underline{W}.\end{aligned}$$

- $B(V)$ is strictly decreasing so high $V \iff$ low external debt

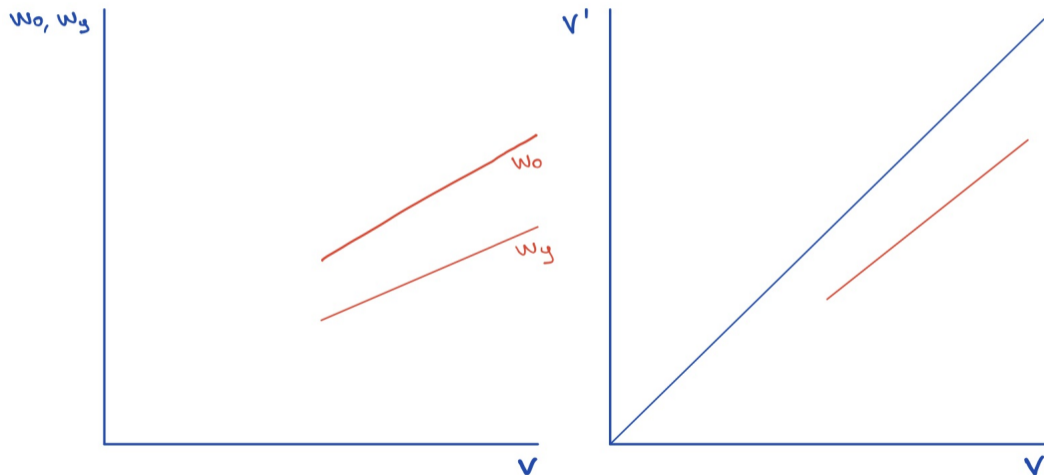
Dynamics for high V

- If V is high (low debt) \Rightarrow sustainability constraint is slack

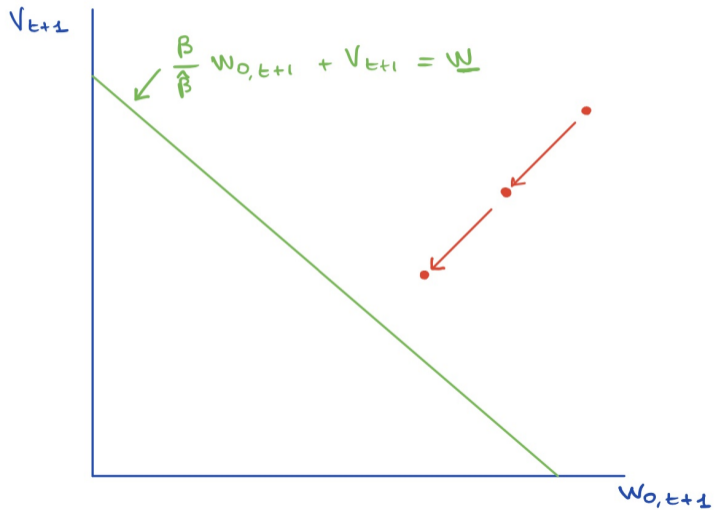
$$B'(V) = \hat{\beta}RB'(V') > B'(V')$$

- Since $\hat{\beta}R < 1$, over time
 - Welfare V_t decreases
 - Debt $B(V_t)$ increases
 - w_y, w_o decrease

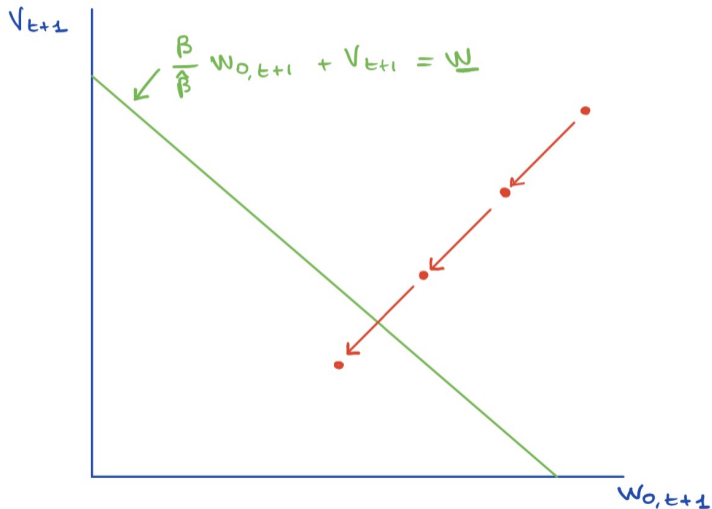
Policy functions for high V



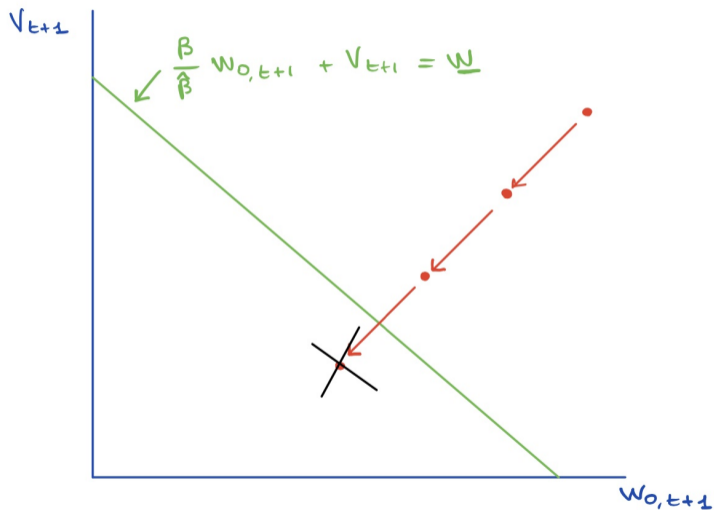
Dynamics for high V



Dynamics for high V : Eventually sustainability constraint binds



Dynamics for high V : Eventually sustainability constraint binds



Dynamics when sustainability constraint binds

- When V is low (high debt) \Rightarrow binding sustainability constraint

$$\frac{\beta}{\hat{\beta}}w_o + V' = \underline{W}$$

- From PKC $w_y + \beta w_o + \hat{\beta}V' = V \rightarrow w_y = V - \hat{\beta}\underline{W}$
- Problem simplifies to

$$B(V) = \max_{w_o} P(V - \hat{\beta}\underline{W}, w_o) + \frac{1}{R}B\left(\underline{W} - \frac{\beta}{\hat{\beta}}w_o\right)$$

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- Dynamics depends on cross-partial P_{12} : Since $P_{12} > 0$, the objective is supermodular
- w_o is increasing in V
- $\frac{\beta}{\hat{\beta}}w_o + V' = \underline{W} \rightarrow V'$ is decreasing in V

Dynamics when sustainability constraint binds

- When V is low (high debt) \Rightarrow binding sustainability constraint

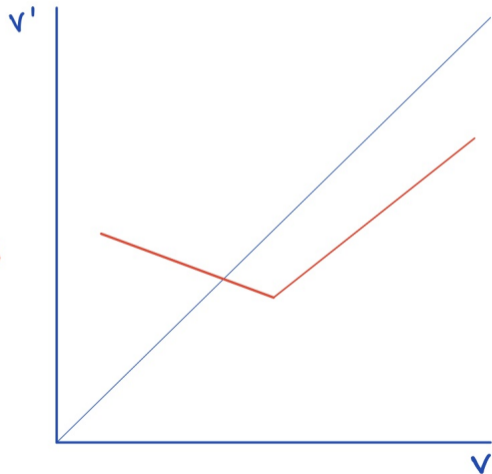
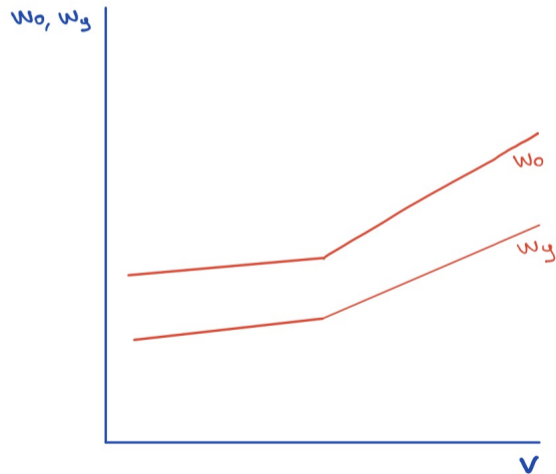
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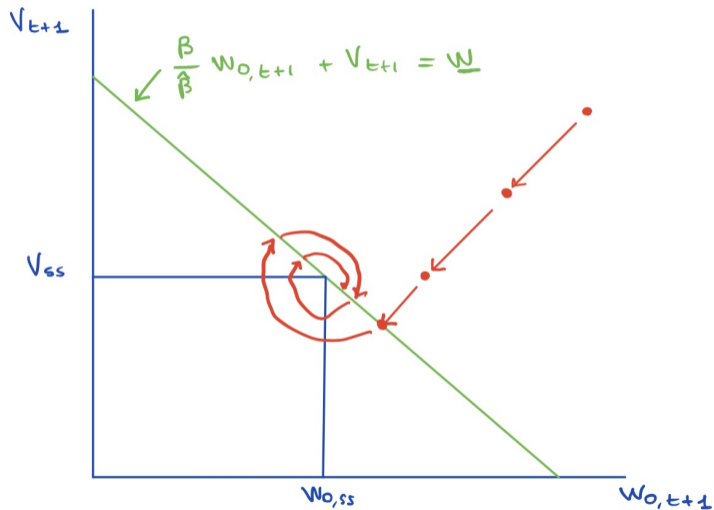
$$B(V) = \max_{w_o} P(V - \hat{\beta}\underline{W}, w_o) + \frac{1}{R}B\left(\underline{W} - \frac{\beta}{\hat{\beta}}w_o\right)$$

- Dynamics depends on cross-partial P_{12} : Since $P_{12} > 0$, the objective is supermodular
- w_o is increasing in V
- $\frac{\beta}{\hat{\beta}}w_o + V' = \underline{W} \rightarrow V'$ is decreasing in V
- **Cyclical debt dynamics: Periods of low debt and high transfers to young and old are followed by periods of high debt and low transfers**

Policy functions



Dynamics

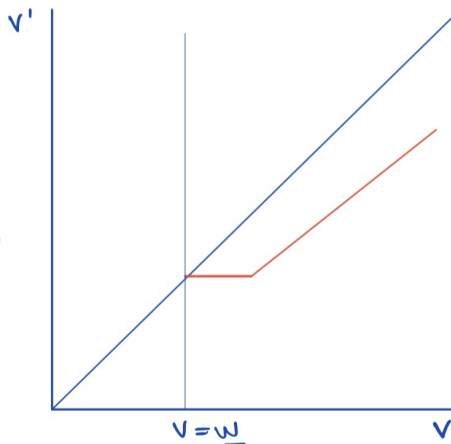
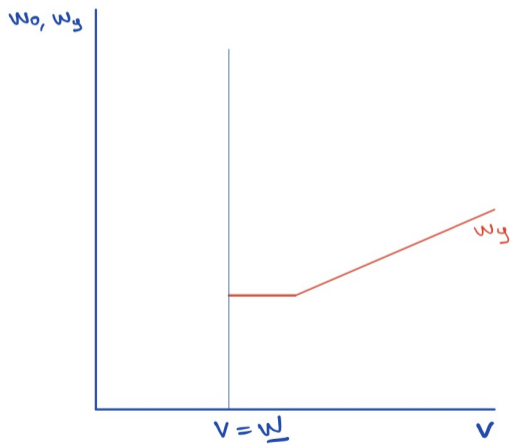


Economics behind it

- Suppose B_t is high \Rightarrow need to cut transfers to the young in t
 - Inequality (dispersion of MRS) among the young in period t increases
 - Inequality among the old in period $t + 1$ increases
 - Higher inequality makes it costly to increase $w_{o,t+1}$ ($P_{12} > 0$)
- To make debt sustainable in $t + 1$
 - Costly to increase $w_{o,t+1}$ so need to increase $w_{y,t+1}$
 - This can only be done by increasing borrowing in $t + 1$
- This leads to cyclical dynamics: periods of austerity and debt repayments are followed by periods of largess and borrowing

Comparison with rep agent economy

$\beta = 0$ (or first best $\rightarrow P_{12} = 0$): $V' \geq \underline{W}$



Generalization

How robust is the presence of cycles to

- Different preferences
- Different tax instruments
- Different ways of choosing policies

General problem

- For any preferences and tax system can write

$$P(w_y, w_o) \equiv \max_{\{c_i, y_i, x_i\}_i} \sum_i \mu_i \left[y_i - \left(c_i + \frac{1}{R} x_i \right) \right]$$

s.t.

$$\sum_i \mu_i \alpha_i [u(c_i) - v(y_i/\theta_i)] = w_y$$

$$\sum_i \mu_i \alpha_i u(x_i) = w_o$$

$$\{c_i, y_i, x_i\}_i \in \mathcal{F}$$

- \mathcal{F} captures
 - Implementability constraints with linear taxes
 - Incentive constraints with non-linear taxes

Recursive formulation

- Best SPE solves

$$B(V) = \max_{w_y, w_o, V'} P(w_y, w_o) + \frac{1}{R} B(V')$$

subject to

$$\begin{aligned} w_y + \beta w_o + \hat{\beta} V' &= V, \\ \frac{\beta}{\hat{\beta}} w_o + V' &\geq \underline{W}. \end{aligned}$$

- Dynamics depends on P_{12}

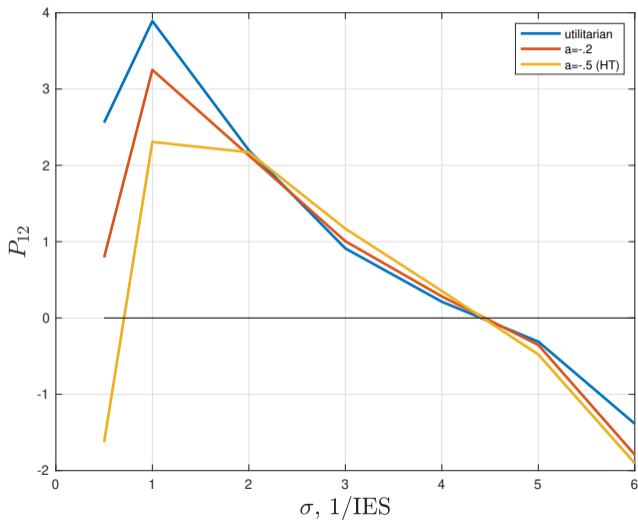
Three possibilities

- $P_{12} > 0$:
 - Debt cycles: periods of low debt and higher transfers/pensions are followed by high debt and “austerity”
- $P_{12} = 0$:
 - Debt is monotonically accumulated until cannot borrow anymore
 - Transfers to young and pensions to old decrease in indebtedness
- $P_{12} < 0$: [Details](#)
 - Debt is monotonically increasing
 - Once sustainability constraint binds: transfers to young decrease, pensions increase as debt accumulated

Cycles are quite robust

- $P_{12} > 0$ is a common feature of many economies/tax systems
- Affine tax system under
 - Separable preferences w/ constant elasticity for reasonable IES
 - GHH preferences
 - Balanced growth path preferences

Calibrated example with affine taxes and separable preferences



Cycles are quite robust, cont.

- $P_{12} > 0$ is a common feature of many economies/tax systems
- Affine tax system under
 - Separable preferences w/ constant elasticity for reasonable IES
 - GHH preferences
 - Balanced growth path preferences
- Fully non-linear Mirrleesian taxes provided that IES is not too high
 - With non-linear savings taxes, the planner can break the link between inequality among young today and among old tomorrow
 - But it is too costly to do if IES is low

Other models of politics

- Similar equilibrium dynamics arises in models of probabilistic voting (Lindbeck and Weibull, 1987)
 - Pareto weights $\{\mu_i\}$, $\hat{\beta}$ pinned down by idiosyncratic shocks
 - Welfare in period t does not take into account agents who are not born
- Best SPE for generations alive at 0 solves

$$B(V) = \max_{w_y, w_o, V'} P(w_y, w_o) + \frac{1}{R} B(V')$$

subject to

$$\begin{aligned}w_y + \beta w_o &= V, \\ \frac{\beta}{\hat{\beta}} w_o + V' &\geq \underline{W}.\end{aligned}$$

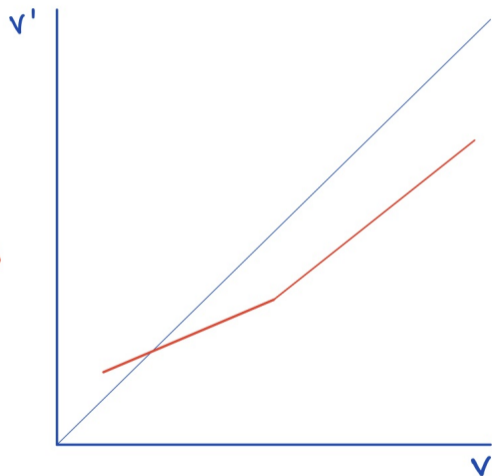
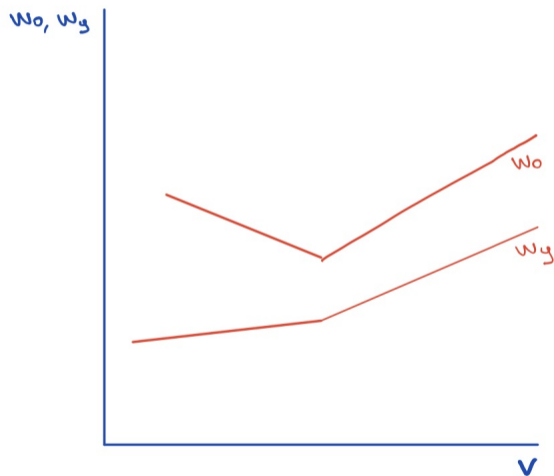
- Cross-partial $P_{12} > 0$ is sufficient (not necessary) for cycles

Conclusion

- Fiscal and redistributive policies when gov't lacks commitment
 - Interaction between domestic and foreign motive to default
- Optimal fiscal consolidation involves cyclical behavior of external debt and austerity type adjustments

Extra Slides

Policy functions, $P_{12} < 0$



Dynamics, $P_{12} < 0$

