

**Discussion of Andrei-Hasler  
“Can the Fed Control Inflation?  
Stock Market Implications”**

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## This Paper

- How perceived CB's ability to control inflation affect asset prices and returns?
- Propose equilibrium model where agents learn about time-varying CB's ability to control inflation
- CB tightens during booms and eases during recessions
- Stabilizing force  $\Rightarrow$  lower risk premium
- If perceived CB's ability to stabilize is reduced
  - Such stabilizing force is gone
  - Higher risk premium
- Asymmetries: higher risk premium during tightening

## Outline of my discussion

- Context with macro/monetary literature
  - Credibility vs. controllability
- Mechanics of the model
  - Monetary policy  $\Rightarrow$  consumption growth  $\Rightarrow$  SDF  $\Rightarrow$  risk premium
  - Source of “monetary” non-neutrality
  - How is output determined?
- Policy vs. shocks to the economy
  - Identification/distinguishing
  - Does it matter?

## Context

Macro/monetary literature studies how much CB tolerate inflation

- Clarida-Gali-Gertler

Suppose CB policy described by a Taylor rule

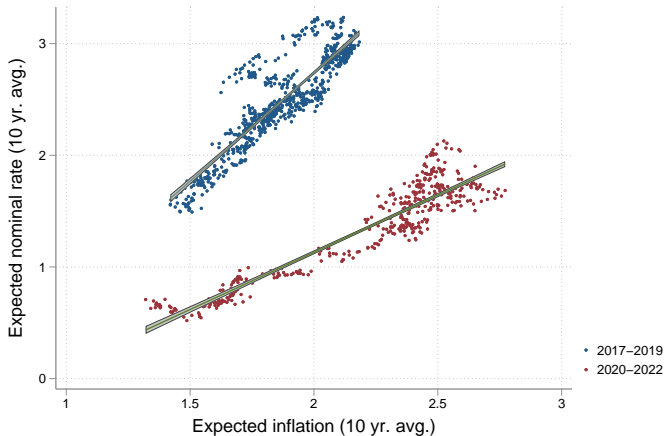
$$1 + i_t = (1 + i_t^*) \left( \frac{1 + \pi_t}{1 + \pi_t^*} \right)^{\psi_{\pi,t}} \left( \frac{y_t}{y_t^*} \right)^{\psi_{y,t}} \epsilon_{mt}$$

How  $\psi_{\pi,t}$  (or  $\psi_{y,t}$ ) evolve over time?

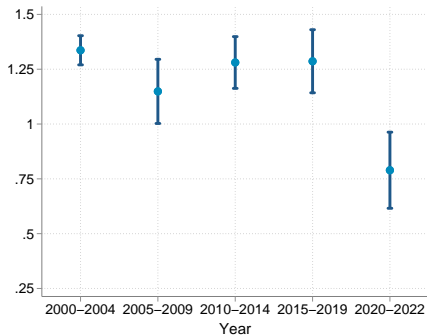
- Bauer-Pflueger-Sunderam (mostly  $\psi_{y,t}$ )
- King-Lu
- Bocola-Dovis-Kirpalani-Jorgensen (BDKJ)

## BDKJ: Bond markets view of the Fed

Use info in bond prices to estimate *changes* in  $\psi_{\pi,t}$  over time

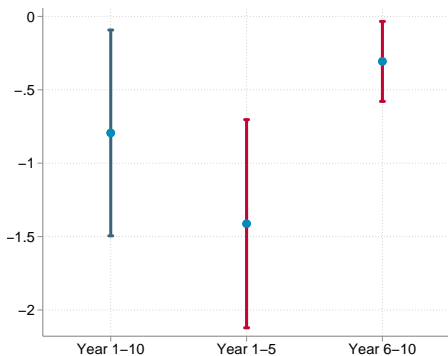


## Estimate of $\psi_{\pi,t}$ over time



- $\psi_{\pi}$  stable between 2000-2019
- Drops significantly in 2020-2022
- Consistent with Fed strategy review

## $\Delta\psi_\pi$ : Short vs long-run expectations



- Evidence stronger for shorter maturities
- Consistent with the policy shift being perceived as transitory

## This paper

- Not variation in  $\psi_\pi$ 
  - How much CB tolerate inflation
- But ability to control inflation
- Joint feature of
  - Fed's capabilities
  - Economy's transmission mechanism
- Not CB's preferences



## Mechanics of the model

### How does monetary policy affect consumption growth?

- Monetary policy  $\Rightarrow$  consumption growth  $\Rightarrow$  SDF  $\Rightarrow$  risk premium
- Source of “monetary” non-neutrality
- How is output determined?

## Model building blocks

Equilibrium outcome  $\{i_t, \pi_t, c_t\}$

- Taylor rule

$$1 + i_t = (1 + i^*) \left( \frac{1 + \pi_t}{1 + \pi_t^*} \right)^{\psi_\pi} \left( \frac{y_t}{y_t^*} \right)^{\psi_y} \epsilon_{mt}$$

- Euler equation (paper has EZ preferences)

$$\frac{1}{1 + i_t} = \mathbb{E}_t \left[ \left( \beta \frac{c_{t+1}}{c_t} \right)^{-\sigma} \frac{1}{1 + \pi_{t+1}} \right]$$

- **Need theory of output determination:  $c_t = y_t$**

- Asset prices: given real dividends  $\{D_{t+1}\}$

$$q_t = \mathbb{E}_t \left[ \left( \beta \frac{c_{t+1}}{c_t} \right)^{-\sigma} (D_{t+1} + q_{t+1}) \right]$$

- No feedback from policy and  $\{y_t\}$  to  $\{D_t\}$  only discounting

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- Standard theory of output determination:  $c_t = y_t$ 
  - Pure-exchange economy:  $y_t$  exogenous
  - Flex-price:  $y_t$  such that  $v'(y_t) = y_t^{-\sigma}$
  - New Keynesian:

$$\pi_t = \kappa(y_t - y_t^*) + \mathbb{E}_t \left[ \left( \beta \frac{c_{t+1}}{c_t} \right)^{-\sigma} \pi_{t+1} \right]$$

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$$\frac{1}{1 + i_t} = \mathbb{E}_t \left[ \left( \beta \frac{c_{t+1}}{c_t} \right)^{-\sigma} \frac{1}{1 + \pi_{t+1}} \right]$$

- This paper “supply-side” of the economy:

$$1 + \pi_t = \left( \frac{1 + i_t}{1 + i_t^*} \right)^{-(1-\lambda_a) \alpha_t} (1 + \pi_{t-1})^{\lambda_a} \epsilon_{\pi t}$$

- More complicated lag structure in paper

## Mechanical logic

$$1 + \pi_t = \left( \frac{1 + i_t}{1 + i_t^*} \right)^{-(1-\lambda_a) \alpha_t} (1 + \pi_{t-1})^{\lambda_a} \epsilon_{\pi t}$$

- If  $i_t > i_t^* \Rightarrow$  inflation goes down
- Ability to affect/control inflation is increasing in  $\alpha_t$ 
  - If  $\alpha_t = 0$  then CB cannot control inflation that is exogenous
- $\alpha_t \downarrow$  then higher inflation volatility and more uncorrelated with fundamentals and policy stance

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- Learning:
  - $\{\alpha_t\}$  is unobserved random variable
  - Investors learn about it by observing  $\{i_t, \pi_t, y_t\}$

## Output determination: $\{i_t, \pi_t, c_t\}$

- Equilibrium conditions

$$1 + i_t = (1 + i_t^*) \left( \frac{1 + \pi_t}{1 + \pi_t^*} \right)^{\psi_\pi} \left( \frac{y_t}{y_t^*} \right)^{\psi_y} \epsilon_{mt}$$

$$\frac{1}{1 + i_t} = \mathbb{E}_t \left[ \left( \beta \frac{c_{t+1}}{c_t} \right)^{-\sigma} \frac{1}{1 + \pi_{t+1}} \right]$$

$$1 + \pi_t = \left( \frac{1 + i_t}{1 + i_t^*} \right)^{-(1-\lambda_a) \alpha_t} (1 + \pi_{t-1})^{\lambda_a} \epsilon_{\pi t}$$

with

$$\frac{c_{t+1}}{c_t} = \mu_{gt} + \gamma_{t+1} \text{ where } \gamma_t \text{ is random variable}$$

- Use equilibrium conditions to determine  $\mu_{gt}$
- $\alpha_t$  only affects first moment of  $c_{t+1}/c_t$ , not higher moments
  - Consistent with Alvarez-Atkeson-Kehoe, Canzoneri-Diba?

## My suggestion

- Need to better flesh-out the “supply-side” of the economy
- Justification for

$$1 + \pi_t = \left( \frac{1 + i_t}{1 + i_t^*} \right)^{-(1-\lambda_a)\alpha_t} (1 + \pi_{t-1})^{\lambda_a} \epsilon_{\pi t}$$

- E.g.  $\downarrow \alpha_t$  related to higher variance of money-demand
  - Harder for CB to fine tune interest rate to control  $\pi_t$
  - But how it translates to real economy?
- Can work with conventional Phillips curve?



## Learning vs. time-variation in $\mathbf{a}_t$

- Does it matter that  $\mathbf{a}_t$  is not observable?
- Suppose  $\mathbf{a}_t$  is observable
  - Feed in same realization i.e.  $\mathbf{a}_t = \hat{\mathbf{a}}_t$
  - How different is equilibrium outcome?
  - Quantify role of time-varying uncertainty about  $\mathbf{a}_t$  (posterior mean vs. its variance)

## What identifies Fed's perceived ability?

If  $i_t > i_t^*$

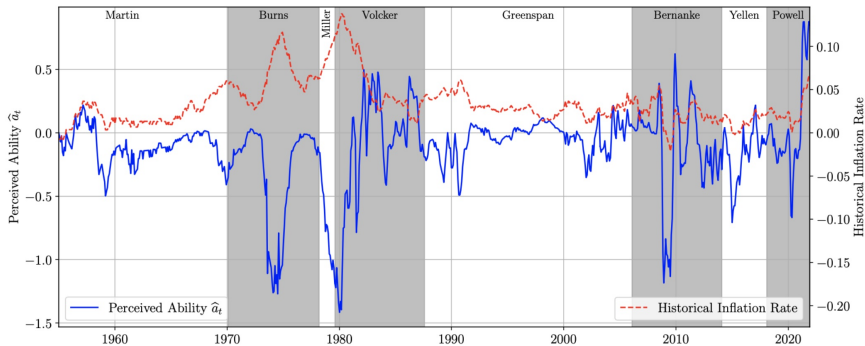
- $\pi_t$  stays high  $\Rightarrow a_t \downarrow$
- $\pi_t$  goes down  $\Rightarrow a_t \uparrow$

If  $i_t < i_t^*$

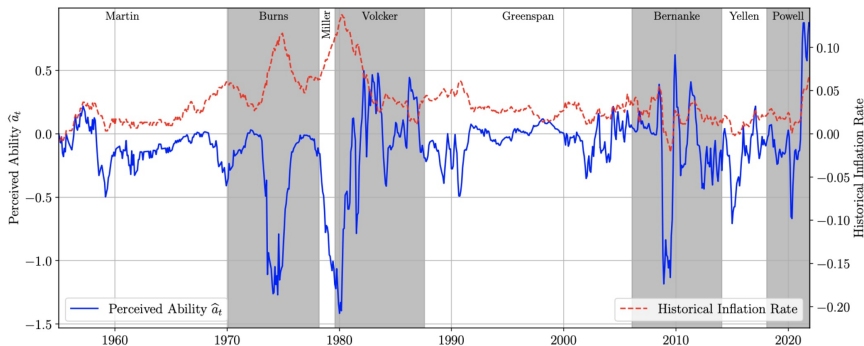
- $\pi_t$  doesn't go up  $\Rightarrow a_t \downarrow$
- $\pi_t$  goes up  $\Rightarrow a_t \uparrow$

Size of the tightening/easing carries no information

# What identifies Fed's perceived ability?

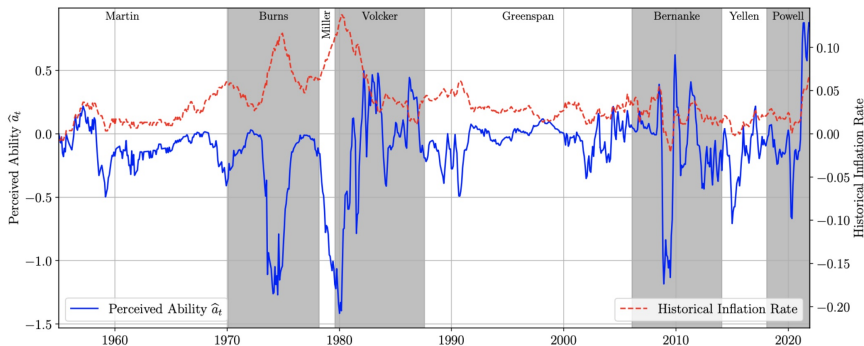


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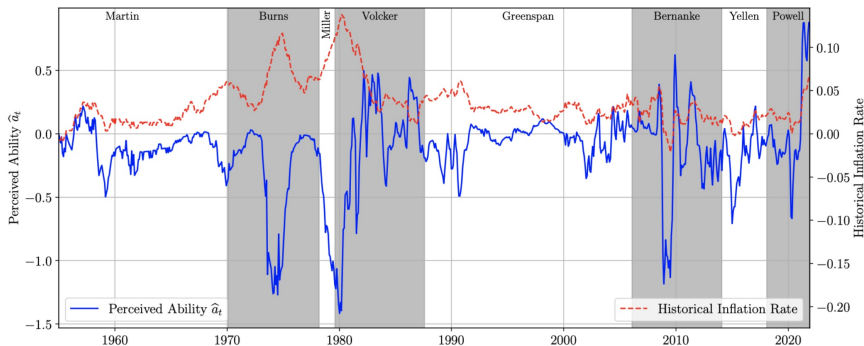
- Volcker: initially tightening with little effect of inflation the  $\mathbf{a}_t \downarrow$
- Later inflation reduced  $\Rightarrow \mathbf{a}_t \uparrow$

# What identifies Fed's perceived ability?



- 2008 financial crisis: easing but little inflation  $\Rightarrow \mathbf{a}_t \downarrow$

# What identifies Fed's perceived ability?



- Is increase in perceived  $\alpha_t$  at end of sample because reduction in  $i_t$  in 2020 was effective?
- Can do analysis post 2022?

## CB ability vs. structural shocks

- Does time-varying  $\alpha_t$  reflect changes in Fed ability to control inflation rather than structural shocks?
- For example, larger contribution of markup shocks

$$\pi_t = \kappa(y_t - y_t^*) + \mathbb{E}_t \left[ \left( \beta \frac{c_{t+1}}{c_t} \right)^{-\sigma} \pi_{t+1} \right] + \epsilon_{\mu,t}$$

- If  $\uparrow \text{Var}(\epsilon_{\mu,t})$
- Looser relation between  $i_t$  and  $\pi_t$  as if  $\alpha_t \downarrow$
- Can generate larger risk-premium on nominal assets

## CB ability vs. structural shocks, cont.

- Joint dynamics of  $\{i_t, \pi_t, y_t\}$  may help to disentangle
  - $a_t \downarrow$  when  $i_t > i_t^*$  but  $\pi_t$  stays high
- But same pattern can emerge with  $\uparrow \text{Var}(\epsilon_{\mu,t})$  and positive realization of  $\epsilon_{\mu,t}$
- Need more explanation about identification
- But maybe it is what you want: a theory for model's “supply-side”



## Conclusion

- Interesting paper on effect of perceived CB ability to control inflation on risk premium
- Need better justification/intuition for how output is determined in equilibrium
- Clarify if controllability is CB's ability/skill or feature of the economy